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STRUCTURE, INTERACTIONS AND KINETICS OF RING-LIKE FORMATIONS OF CARBON NANOTUBES (NANOFIBERS) IN POLYMER NANOCOMPOSITES

Mikitaev Abdulah Kasbulatovich

Doctor of Chemical Sciences, Professor,
Kabardino-Balkarian State University named after H.M. Berbekov
I_dolbin@mail.ru
Chernyshevskogo St., 175, 360004 Nalchik, Russian Federation

Kozlov Georgiy Vladimirovich

Senior Researcher,
Kabardino-Balkarian State University named after H.M. Berbekov
I_dolbin@mail.ru
Chernyshevskogo St., 175, 360004 Nalchik, Russian Federation

Zaikov Gennadiy Efremovich

Doctor of Chemical Sciences, Professor,
Head of the Department of Biological and Chemical Physics of Polymers,
Institute of Biochemical Physics named after N.M. Emanuel, RAS
chembio@sky.chph.ras.ru
Kosygina St., 4, 119334 Moscow, Russian Federation

Abstract. It has been shown that the parameters of formation of carbon nanotubes (nanofibers) ring-like structures can be described in the scope of fractal kinetics. In this case the main feature is represented by interactions in polymer matrix at the level of nanofiller. The indicated model explained relatively high degree of bonds between the nanocomposites of polymer/carbon nanotubes at ultra small nanofiller contents.

Key words: nanocomposite, carbon nanotubes (nanofibers), interactions, ring-like structure, fractal kinetics.

Aims and Background

As it is well-known [12], carbon nanotubes (nanofibers) possess very high longitudinal elasticity modulus (1000-2000 GPa) and low transverse stiffness. These factors together with a large ration length/diameter (high anisotropy

degree), typical for the indicated nanofillers, result in formation by them of ring-like structures, outwardly resembling macromolecular coils [13; 17]. This circumstance has already been noted in literature. So, the authors [13] assumed, that carbon nanotubes ring-like structures can be considered as macromolecular coils in

semidiluted solutions. The authors [8] used Flory formula for rod-like macromolecules in case of carbon nanotubes percolation threshold in polymer nanocomposites determination. Nevertheless, such examples are rare enough and do not have systematic character.

It is obvious, that formation process of carbon nanotubes (nanofibers) ring-like structures can not be instantaneous for example in virtue of the polymer melt high enough viscosity, in which these structures are formed. Hence, the indicated process has definite duration, that makes necessary its kinetics study. Therefore purpose of the present work is the study of intercommunication of interactions, formation kinetics and structure of ring-like formations of carbon nanotubes (nanofibers) in polymer nanocomposites.

Experimental

Polypropylene (PP) “Kaplen” of mark 01030 was used as matrix polymer for the studied nanocomposites. This PP mark has a melt flow index of 2.3-3.6 g/10 min, molecular weight of $\sim (2-3) \times 10^5$ and polydispersity index of 4.5.

Carbon nanotubes (CNT) of mark “Taunite”, having an external diameter of 20-70 nm, an internal diameter of 5-10 nm and length of 2 μm and more, were used as a nanofiller. In the studied nanocomposites PP/CNT taunite content was varied within the limits of 0.25-3.0 mass %. Besides, the multiwalled nanofibers (CNF) were used, having a layers number of 20-30, diameter of 20-30 nm and length of the order of 2 μm . In the nanocomposites PP/CNF CNF content W_n was varied within the limits of 0.15-3.0 mass %.

Nanocomposites PP/CNT and PP/CNF were prepared by the components mixing in melt on twin screw extruder Thermo Haake, model Reomex RTW 25/42, production of German Federal Republic. Mixing was performed at temperature 463-503 K and screw speed of 50 rpm during 5 min. Testing samples were prepared by casting under pressure method on a casting machine Test Samples Molding Apparate RR/TS MP of firm Ray-Ran (Taiwan) at temperature 503 K and pressure 43 MPa.

Uniaxial tension mechanical tests have been performed on the samples in the shape of two-sided spade with the sizes according to GOST 112 62-80. The tests have been conducted on the universal

testing machine Gotech Testing Machine CT-TCS 2000, production of German Federal Republic, at temperature 293 K and strain rate of $\sim 2 \times 10^{-3} \text{ s}^{-1}$.

Results and Discussion

CNT (CNF) ring-like structures radius R_{CNT} can be determined with the aid of the following percolation relationship [6]:

$$\varphi_n = \frac{\pi L_{\text{CNT}} r_{\text{CNT}}^2}{(2R_{\text{CNT}})^3}, \quad (1)$$

where φ_n is nanofiller volume contents, L_{CNT} and r_{CNT} are length and radius of carbon nanotube (nanofiber), respectively.

The value φ_n was calculated according to the well-known formula [11]:

$$\varphi_n = \frac{W_n}{\rho_n}, \quad (2)$$

where W_n is nanofiller mass contents, ρ_n is its density, estimating for nanoparticles as follows [ibid.]:

$$\rho_n = 188(D_{\text{CNT}})^{1/3}, \text{ kg/m}^3, \quad (3)$$

where D_{CNT} is a carbon nanotube (nanofiller) diameter, which is given in nm.

A CNT (CNF) ring-like formations structure can be characterized most exactly with the aid of its fractal dimension D_f , which is true structural characteristic, since it describes the distribution of CNT (CNF) ring-like formations elements in space [ibid.]. The value R_{CNT} calculation according to the equation (1) has shown its reduction at φ_n growth. At the largest from the used φ_n values, corresponding to $W_n = 3.0$ mass %, the indicated dependences have the tendency of asymptotic branch achievement, that supposes achievement by CNT or CNF ring-like structures of their R_{CNT} minimum values. By the analogy with macromolecular coils this means the achievement of maximally dense ring-like structure with the greatest limiting value of its fractal dimension $D_f(D_f^{\text{lim}})$, which is determined according to the equation [7]:

$$D_f^{\text{lim}} = \frac{4(d+1)}{7}, \quad (4)$$

where d is the dimension of Euclidean space, in which a fractal is considered (it is obvious, in our case $d = 3$). For $d = 3$ the value $D_f^{\text{lim}} = 2.286$.

Further for the value D_f estimation the irreversible aggregation model can be used, which describes polymerization processes (macromolecular coil formation) and gives the following relationship for particles aggregates radius R_{agr} determination [16]:

$$R_{agr} \sim c_0^{-1/(d-D_f)}, \quad (5)$$

where c_0 is aggregating particles initial concentration.

Coefficient in the relationship (5) can be determined at the following conditions: $R_{agr} = R_{CNT}$, $c_0 = \varphi_n$ and $D_f = D_f^{lim}$. The values R_{CNT} and φ_n were accepted for $W_n = 3.0$ mass %. As the estimations according to the indicated relationship have shown, the value D_f grows at φ_n increasing (R_{CNT} reduction) from 1.91 up to 2.29 for nanocomposites PP/CNT and from 1.76 up to 2.21 for nanocomposites PP/CNF.

As it is known [9], the process rate in fractal-like medium is described by the following equation:

$$\vartheta \sim t^{-h}, \quad (6)$$

where t is process duration, h is medium heterogeneity exponent ($0 < h < 1$), which is transformed into zero for homogeneous samples only [ibid.].

The value h was calculated according to the equation [10]:

$$h = \frac{D_f - 1}{2}. \quad (7)$$

In Fig. 1 the dependences of R_{CNT} on CNT (CNF) ring-like structures formation process rate ϑ are added for the considered nanocomposites. As it was to be expected, the process rate ϑ increasing results in R_{CNT} growth, i.e. the value ϑ characterizes not CNT (CNF) rolling up in ring-like structures, but their unrolling. The dependence $R_{CNT}(\vartheta)$ can be expressed analytically by the following empirical equations:

$$R_{CNT} = 90 + 5.0 \times 10^3 \vartheta \quad (8)$$

for carbon nanotubes and

$$R_{CNT} = 45 + 2.70 \times 10^3 \vartheta \quad (9)$$

for carbon nanofibers. The parameters t in the equation (6) and R_{CNT} in the equations (8) and (9) are expressed in s and nm, respectively.

Let us note, that the smallest R_{CNT} value according to the equations (8) and (9) is equal

approximately to $2D_{CNT}$ at $\vartheta=0$, since for the obvious reasons the condition $R_{CNT} = 0$ is impossible. The greatest value R_{CNT} in case of homogeneous mediums ($h = 0$) is equal to 5090 nm for CNT and 2745 nm for CNF.

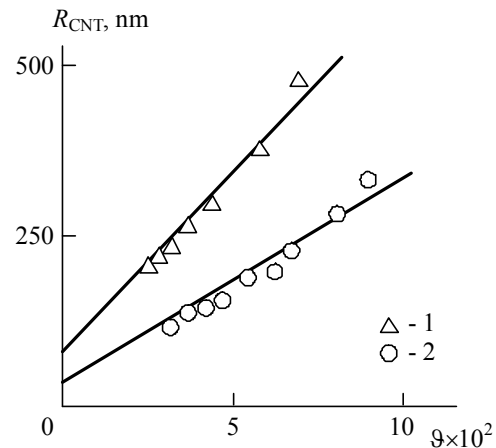


Fig. 1. The dependences of CNT (CNF) ring-like formations radius R_{CNT} on their unrolling rate ϑ for nanocomposites PP/CNT (1) and PP/CNF (2)

Let us consider the intercommunication of CNT (CNF) ring-like structures formation rate ϑ and interaction between them. At the indicated structure modeling as macromolecular coils the interaction between their elements and polymer matrix can be characterized by the parameter ϵ , determined as follows [10]:

$$\epsilon = \frac{2 - D_f}{D_f}. \quad (10)$$

For macromolecular coils the value ϵ is varied within the limits of $-1/3 \div 1.0$. In the point $D_f = 2.0$ parameter ϵ changes its sign, that corresponds to the interactions type change from repulsion forces (positive ϵ) up to attraction forces (negative ϵ). In Fig. 2 the dependence of CNT (CNF) ring-like structures formation rate ϑ on interaction parameter ϵ is added for the considered nanocomposites. As one can see, the linear dependence of CNT (CNF) ring-like structures unrolling rate ϑ at ϵ increasing is obtained, i.e. the repulsion interaction intensification, which is described analytically by the following empirical equation:

$$\vartheta = 0.275(\epsilon + 0.215). \quad (11)$$

From the equation (11) it follows, that the value $\vartheta = 0$ is achieved at $\epsilon = -0.215$, i.e. at $D_f = 2.548$. The greatest value $\vartheta = 0.334$ is

realized at $\varepsilon = 1.0$, that corresponds to $h = 0.192$ or $D_f = 1.384$.

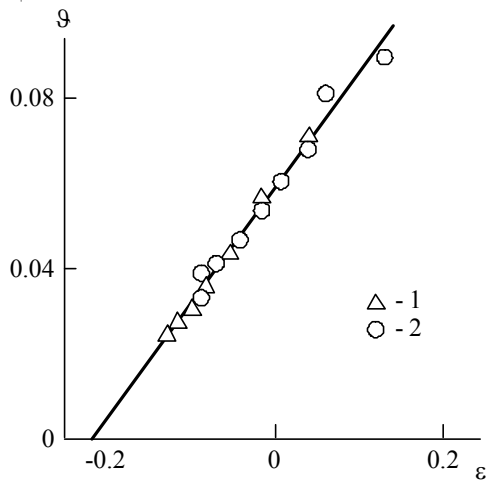


Fig. 2. The dependence of CNT (CNF) ring-like structures unrolling rate ϑ on interaction parameter ε for nanocomposites PP/CNT (1) and PP/CNF (2)

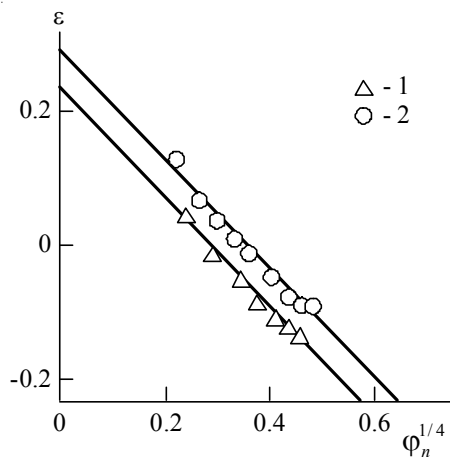


Fig. 3. The dependences of interaction parameter ε on nanofiller volume contents φ_n for nanocomposites PP/CNT (1) and PP/CNF (2)

As it is noted above, nanofiller contents φ_n increasing results in dimension D_f enhancement and, according to the equation (10), in the exponent h increasing, i.e. in medium heterogeneity degree enhancement. In Fig. 3 the dependences of parameter ε on the value $\varphi_n^{1/4}$ (such form of the indicated dependences was chosen for their linearization) are added for the considered nanocomposites. As one can see, ε linear reduction is observed, i.e. the attraction interactions intensification, at nanofiller contents

growth. This dependence can be expressed analytically by the following empirical equations:

$$\varepsilon = 0.25 - 0.85\varphi_n^{1/4} \quad (12)$$

for carbon nanotubes and

$$\varepsilon = 0.25 - 0.85\varphi_n^{1/4} \quad (13)$$

for carbon nanofibers.

The equations (11)-(13) combination demonstrates, that for the considered nanocomposites ε variation is realized within the range, which is smaller than theoretical one for macromolecular coils ($\varepsilon = -1/3 \div 1.0$), namely, within the limits of $\varepsilon = -0.215 \div 0.30$. The condition of full balance of attraction and repulsion forces for CNT (CNF) ring-like structures $\varepsilon = 0$ is realized at $\varphi_n = 0.0075$ for nanocomposites PP/CNT and $\varphi_n = 0.0155$ for nanocomposites PP/CNF.

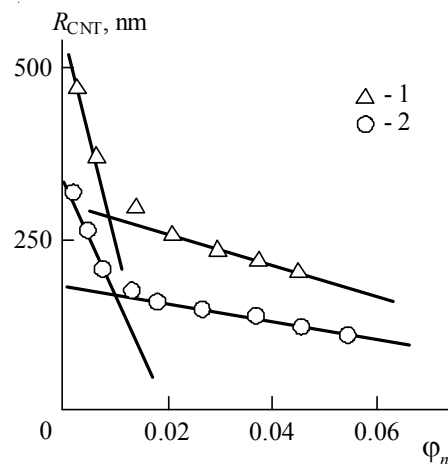


Fig. 4. The dependences of CNT (CNF) ring-like formations radius R_{CNT} on nanofiller volume contents φ_n for nanocomposites PP/CNT (1) and PP/CNF (2)

In Fig. 4 the dependences $R_{CNT}(\varphi_n)$ are added for the indicated nanocomposites, each one from which can be approximated by two straight lines with enough precision degree. The transition between these two parts of the dependences $R_{CNT}(\varphi_n)$ corresponds to $\varphi_n \approx 0.0088$ for nanocomposites PP/CNT and $\varphi_n \approx 0.0120$ for nanocomposites PP/CNF, that agrees well enough with the indicated above φ_n values, at which the condition $\varepsilon = 0$ is achieved or, in other words, with values φ_n , at which the

transition from attraction interaction up to repulsion interactions of CNT (CNF) ring-like structures is realized. The linear dependences $R_{\text{CNT}}(\varphi_n)$ slope is in about 15 times larger in case of the repulsion interactions in comparison with the attraction interactions. In other words, in case of interactions first type much more fast R_{CNT} growth at φ_n reduction is observed, that influences positively on the characteristics of nanocomposites polymer/carbon nanotubes [17]. This effect explains the indicated nanocomposites relatively high reinforcement degree at ultrasmall concentrations ($\varphi_n \leq 0.0015$) of carbon nanotubes [5; 8].

Conclusions

Thus, in the present work the results have shown that the formation (unrolling) rate of carbon nanotubes (nanofibers) ring-like structures in polymer nanocomposites can be described within the framework of fractal kinetics, where the indicated rate is defined by interactions level in these structures. A medium heterogeneity level or interactions degree and sign is controlled by nanofiller contents. The transition from attraction interactions up to repulsion interactions defines carbon nanotubes (nanofibers) ring-like structures radius fast growth, that results in nanocomposites relatively large reinforcement degree at ultrasmall contents of the indicated nanofillers.

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**СТРУКТУРА, ВЗАИМОДЕЙСТВИЯ И КИНЕТИКА
КОЛЬЦЕОБРАЗНЫХ ОБРАЗОВАНИЙ УГЛЕРОДНЫХ НАНОТРУБОК
(НАНОВОЛОКОН) В ПОЛИМЕРНЫХ НАНОКОМПОЗИТАХ**

Микитаев Абдулах Касбулатович

Доктор химических наук, профессор,
Кабардино-Балкарский государственный университет имени Х.М. Бербекова
I_dolbin@mail.ru
ул. Чернышевского, 175, 360004 г. Нальчик, Российская Федерация

Козлов Георгий Владимирович

Старший научный сотрудник,
Кабардино-Балкарский государственный университет имени Х.М. Бербекова
I_dolbin@mail.ru
ул. Чернышевского, 175, 360004 г. Нальчик, Российская Федерация

Заиков Геннадий Ефремович

Доктор химических наук, профессор,
заведующий отделом биологической и химической физики полимеров,
Институт биохимической физики им. Н.М. Эмануэля РАН
chembio@sky.chph.ras.ru
ул. Косыгина, 4, 119334 г. Москва, Российская Федерация

Аннотация. В статье показано, что параметры формирования кольцеобразных образований углеродных нанотрубок (нановолокон) могут быть описаны в рамках фрактальной кинетики. В данном случае основной характеристикой указанного процесса являются взаимодействия в полимерной матрице на уровне нанонаполнителя. Описанная модель позволила объяснить относительно высокую степень связанности нанокomпозитов полимерных/углеродных нанотрубок при очень низком содержании нанонаполнителя.

Ключевые слова: нанокomпозит, углеродные нанотрубки (нановолокна), взаимодействия, кольцеобразная структура, фрактальная кинетика.